

Average Value Formula

$$\frac{1}{b-a} \int_a^b f(x) dx$$

Integrals

$$\int k dx \quad kx + c$$

$$\int \cos x dx \quad \sin x + c$$

$$\int x^n dx \quad \frac{1}{n+1} x^{n+1} + c$$

$$\int \frac{1}{\cos^2 x} dx \quad \tan x + c$$

$$\int \frac{1}{x} dx \quad \ln|x| + c$$

$$\int \frac{1}{x^2+1} dx \quad \tan^{-1} x + c$$

$$\int \sqrt{x} dx \quad \frac{2}{3} x^{3/2} + c$$

$$\int \frac{1}{\sqrt{1-x^2}} dx \quad \sin^{-1} x + c$$

or

$$\arcsin x + c$$

$$\int e^x dx \quad e^x + c$$

$$\int a^x dx \quad \frac{1}{\ln a} a^x + c$$

$$\int \sin x dx \quad -\cos x + c$$

$$\int \cos x dx \quad \sin x + c$$

Disk Method

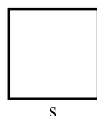
$$\pi \int r^2 dr$$

Washer method

$$\pi \int R^2 - r^2 dr$$

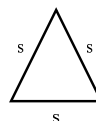
Cross Sections

Square



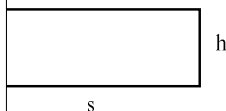
$$\int s^2 ds$$

Equilateral Triangle



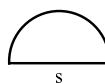
$$\frac{\sqrt{3}}{4} \int s^2 ds$$

Rectangle



$$\int s \cdot h ds$$

Semicircle



$$\frac{\pi}{8} \int s^2 ds$$

Some extras....

1. Particles are speeding up if and only if **VELOCITY AND ACCELERATION HAVE THE SAME SIGN!!!**
2. For total distance use **absolute values** in your integrand.
3. When asked for **ABSOLUTE/global** max or mins **MAKE A TABLE-check ENDPOINTS**

This doesn't cover everything but you know the rest. :)

Have Confidence!
You Can do
This! ☺

One important key to success is self-confidence. An important key to self-confidence is preparation.

-Arthur Ashe